

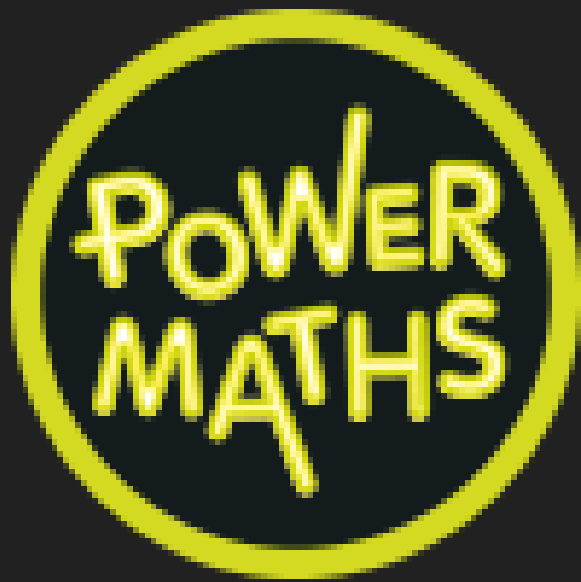


Trevisker

Primary School

Presents...





Power Maths is our new, exciting scheme which is used in Years One to Six. It is a whole class approach which aims to make learning fun and create connections between concepts, allowing children to explore their learning and master new ideas with a deep understanding.

Alongside the textbooks and online resources, each child has their own practice book which they will use during lessons.

The **whole-class mastery approach** that works for every child



Meet the
Power Maths
Team

Flexible Flo

is open-minded and sometimes indecisive. She likes to think differently and come up with a variety of methods or ideas.



‘Let’s try it this way ...’
‘Can we do it differently?’
‘I’ve got another way of doing this!’

Determined Dexter

is resolute, resilient and systematic. He concentrates hard, always tries his best and he'll never give up – even though he doesn't always choose the most efficient methods!



'Let's try again.'

'Mistakes are cool!'

'Have I found all of the solutions?'

Curious Ash

is eager, interested and inquisitive, and he loves solving puzzles and problems.

Ash asks lots of questions but sometimes gets distracted.



'What if we tried this ...?'

'I wonder ...'

'Is there a pattern here?'

Brave Astrid

is confident, willing to take risks and unafraid of failure. She is never scared to jump straight into a problem or question, and although she often makes simple mistakes she is happy to talk them through with others.



'I'm going to try this!'

'I know how to do that!'

'Want to share my ideas?'



The Power Maths Team grow and develop, just as your children do...

Counting to 50 2

Discover



- 1 a) Which number is the lily pad on?
How do you know?
- b) The frog jumps back to the pond.
What numbers does the frog jump over?

Share

a)



The lily pad is on number 32.

I counted backwards.

b)



The frog jumps back over 3 numbers, 29, 28 and 27, to get to the pond.

Year 1

Think together



- 1 Which numbers does the frog jump over to get to the pond?

21	22	23	24	25	26	27	28	29	30
31	32	33	34	35	36	37	38	39	40

- 2 What are the missing numbers?

a)

1	2	3	4	5	6	7	8	9	10
11	12	13	14	15	17	18	19	20	
21		23	24	25	26	27	28	29	30
31	32	33	34	35	36	37	38	39	
41	42		44	45	46	47	48	49	50

b)

14	15	16		18				
21	22		24	25				
37		39	40		42	43	44	45

- 3 Ben is lost in the forest. He must find his way from 34 to 45, in order. Can you help him to find his way out?

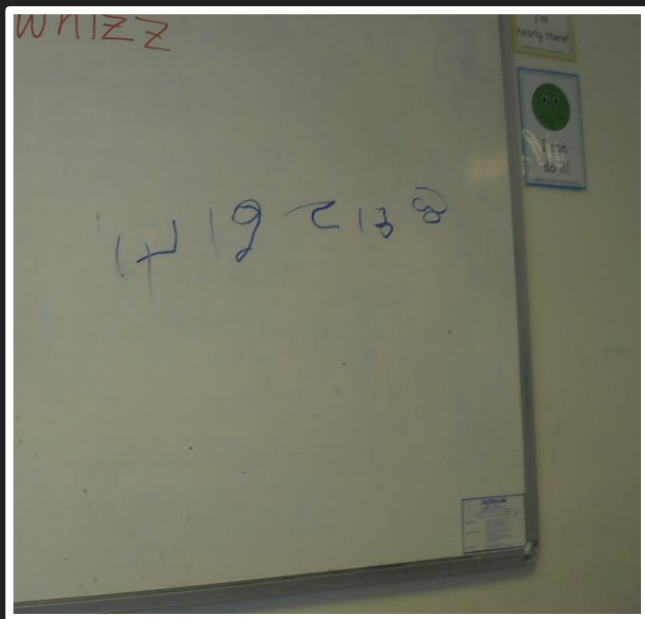


How did you help him find the way?











Counting vertices on 3D shapes

Discover



- Eve is making a triangle-based pyramid. How many vertices does she need?
- How many more vertices does she need for this pyramid?



Share

a) Eve makes the base first.



There is 1 vertex at each vertex.

A pyramid with a triangle base has four vertices. Eve needs four vertices for this pyramid.

Eve uses three sticks and joins them at one vertex at the top.



b) Eve makes a square base.



A pyramid with a square base has five vertices.

A square needs four vertices.

A pyramid needs five vertices.

Eve needs one more vertex for the pyramid.

Then Eve makes one more vertex at the top point.



Think together

- How many vertices does each shape have?

Shape	Number of vertices



- George wants to make different pyramids. Each pyramid has a different base.



How many vertices does George need for each pyramid?



- Darcey has eight blocks. She joins them to make a 3D shape.



Can she make a shape with eight vertices?

Is there more than one solution?



Year 2



What do you notice?



Reflect

What division sentences can you write by using the 10 times-table?

- $40 \div 10 = 4$ ✓
- $100 \div 10 = 10$
- $5 \div 10 = 5$
- $60 \div 10 = 6$ ✓
- $70 \div 10 = 7$
- $80 \div 10 = 8$
- $90 \div 10 = 9$

• TAG I

- $1 \times 10 = 10$
- $2 \times 10 = 20$
- $3 \times 10 = 30$
- $4 \times 10 = 40$
- $5 \times 10 = 50$
- $6 \times 10 = 60$
- $7 \times 10 = 70$
- $8 \times 10 = 80$
- $9 \times 10 = 90$
- $10 \times 10 = 100$

3 Complete the table. Then write three statements about the information.

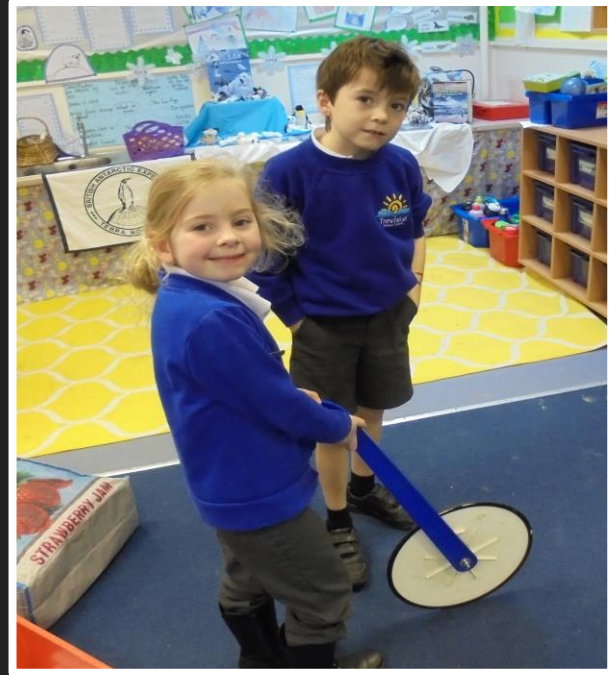
CHALLENGE

Pizza toppings	Tally	Number
vegetables	### ##	17 ✓
chicken	### ##	19 ✓
meat feast	### ##	19 ✓
cheese	### ##	13 ✓
mushroom	### ##	7 ✓

- 1 More people prefer cheese to mushroom.
- 2 More people prefer chicken to vegetables ✓
- 3 _____

ts.

Number





Converting pounds and pence

Discover



Lee

Sofia

- How much money does Sofia put into the machine?
- Lee puts in £1 with some silver coins. They are all the same. What could he have put in?

72 Key 1p 2p 5p 10p 20p 50p £1 £2

Share

- There are 100 pence in a pound.

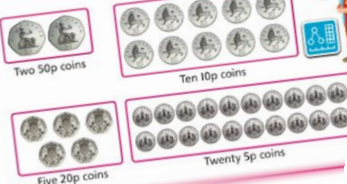


I put coins that make £1 together first. Then I counted the coins left over. There are different ways you can make £1.



Sofia puts £2 and 61p into the machine.

- Lee could have put these coins in:

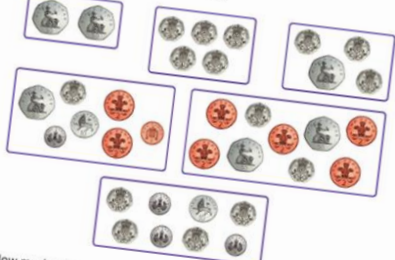


I worked out how many coins made £1 for each of the silver coins.



Think together

- Which of these sets of coins make £1?



- How much money does Holly have?



Holly has £ and p.

74 Key 1p 2p 5p 10p 20p 50p £1 £2



- Mr Jones has some bags of coins from the bank.



How many coins are in each bag?

I used plastic coins and counted up in 2s, 5s, 10s and 20s until I made the amount in the bag.

I wonder if I can work out how many of each coin there are in £1 and then multiply.



75 Key £5 £10 £20 £50


Year 3


Think together Discover


Unit 6: Money, Lesson 2 23-119 → Textbook 38 p72


Converting pounds and pence

1 Tick the sets of coins that make £1.



a)  £1

b)  £1

c)  95p

d)  £1

2 How much money was in the money box?

There was p in the money box.
 This is the same as £ and p.

54

This is Charlie. Charlie is autistic, he has social







Practice

23.1.19

Unit 6: Money, Lesson 2

3 Work out how much money each child has.

a)



Ambika has £ and p.

b)



Max has £ and p.

4 Complete the part-whole models.

a)



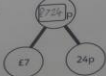
c)



b)



d)



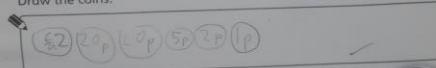
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Challenge

Unit 6: Money, Lesson 1

21.1.19

4 What is the fewest number of coins you need to make £2 and 48p?
Draw the coins.



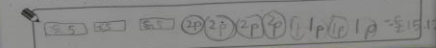
5 Kate has £14 and 35p. Zac has the following money:



= £18.50

Richard has more money than Kate, but less than Zac.
Richard has 3 notes and 8 coins.

What notes and coins could Richard have?



CHALLENGE

Reflect

Reflect

Reena says that she has £3 and 20p.
What mistake could Reena have made?



- She might have thought that the one pence
- was a one pound.
- _____
- _____

I. 53



Simplifying fractions

Discover



Mo

Lexi

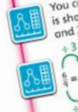
- 1 a) What fraction of Mo's picture is shaded?
Is there more than one answer?
- b) What fraction of Lexi's picture is shaded?
What is the **simplest fraction** you can find?

112

Share

- a) In Mo's picture, 6 out of 9 squares are shaded ($\frac{6}{9}$).

You can also see that $\frac{2}{3}$ of the shape is shaded. There are 3 rows in total and 2 rows are shaded.



- b) $\frac{3}{6}$ of Lexi's picture is shaded.

I need to find a number that divides into both the numerator and denominator. I can divide by 2 and then 2 again.



I think that it is quicker to divide by 4.

In the simplest fraction, there are no numbers that divide into both the numerator and the denominator.

Year 4

Simplifying fractions

Discover



Mo

Lexi

- 1 a) What fraction of Mo's picture is shaded?
Is there more than one answer?
- b) What fraction of Lexi's picture is shaded?
What is the **simplest fraction** you can find?

112

Share

- a) In Mo's picture, 6 out of 9 squares are shaded ($\frac{6}{9}$).

You can also see that $\frac{2}{3}$ of the shape is shaded. There are 3 rows in total and 2 rows are shaded.



- b) $\frac{3}{6}$ of Lexi's picture is shaded.

I need to find a number that divides into both the numerator and denominator. I can divide by 2 and then 2 again.

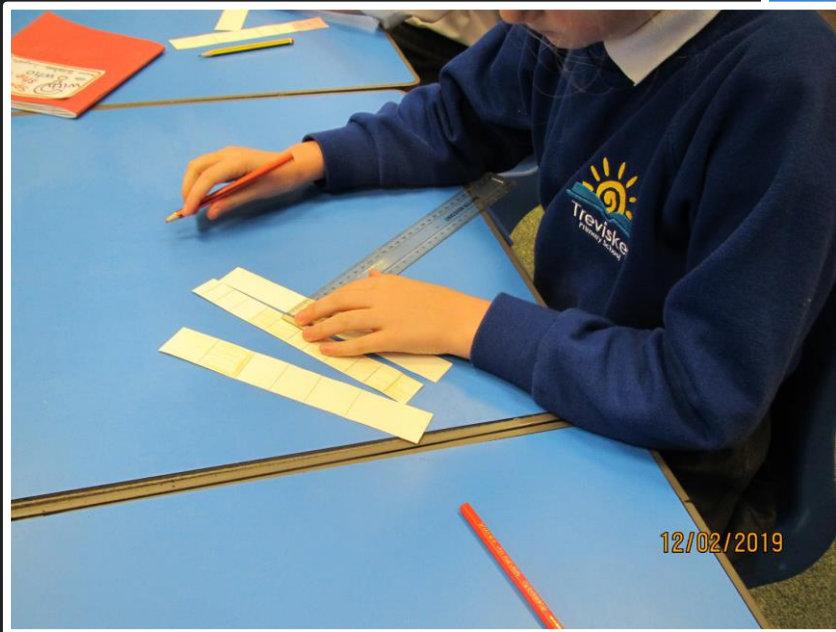


I think that it is quicker to divide by 4.

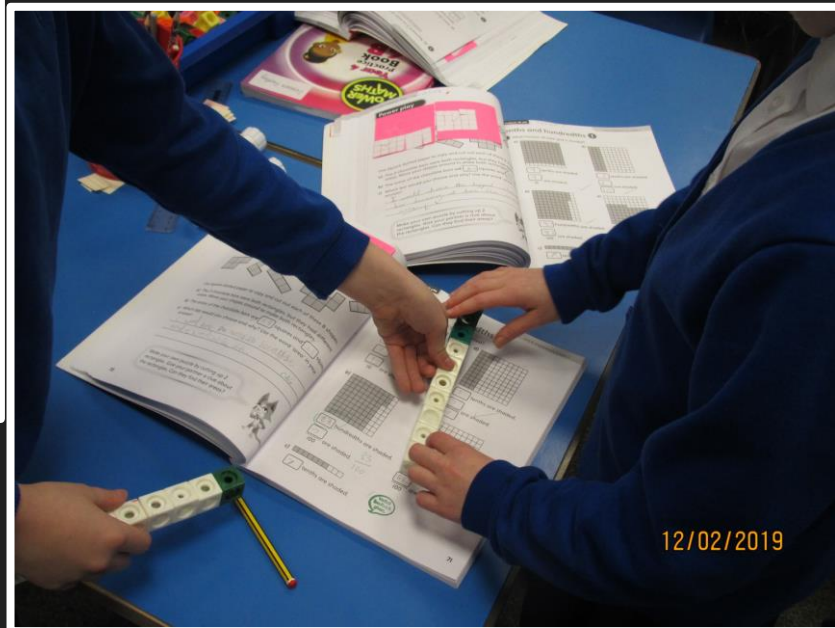
In the simplest fraction, there are no numbers that divide into both the numerator and the denominator.

113



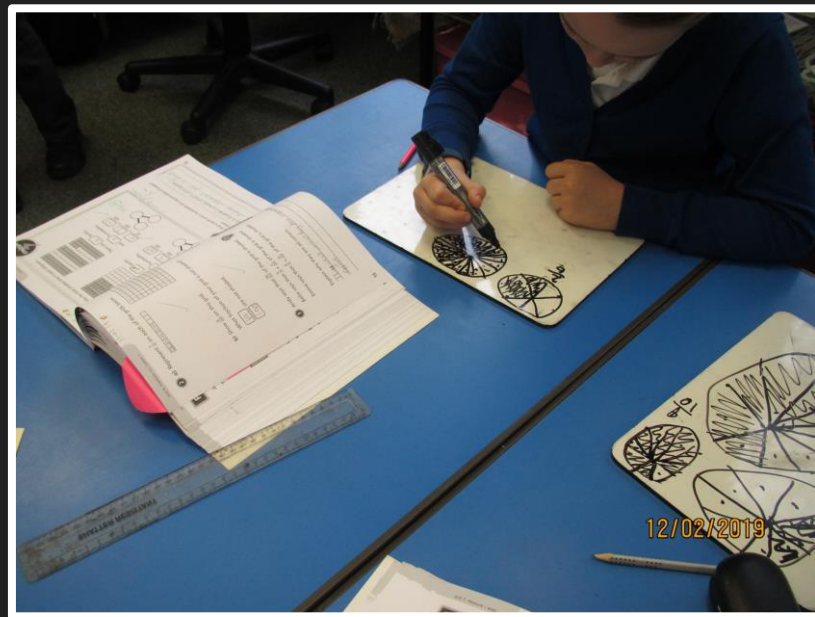
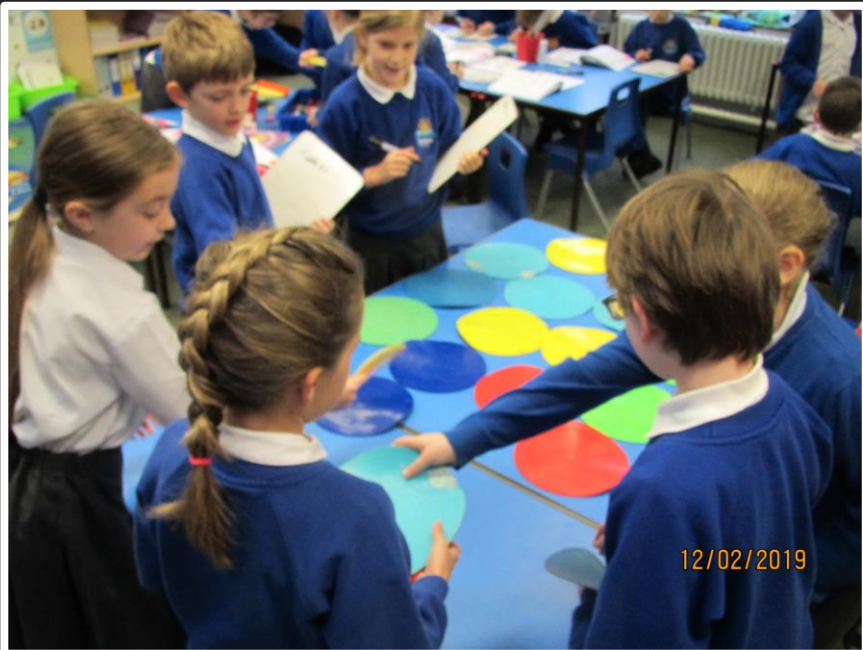


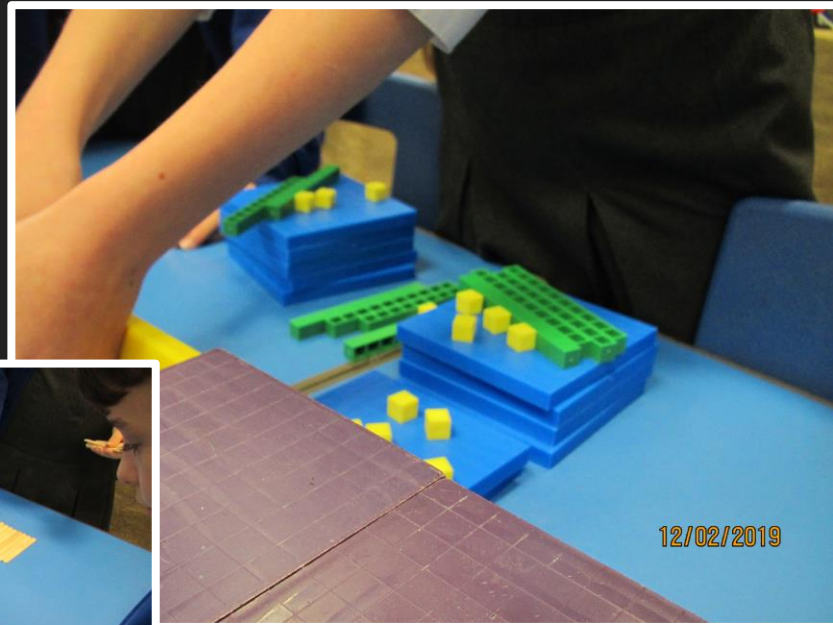
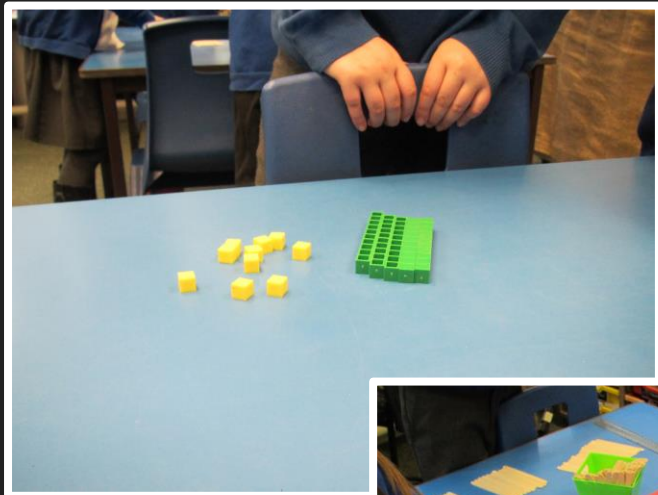








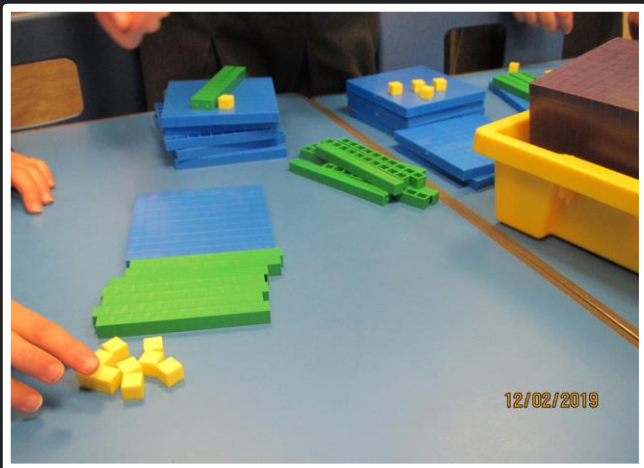


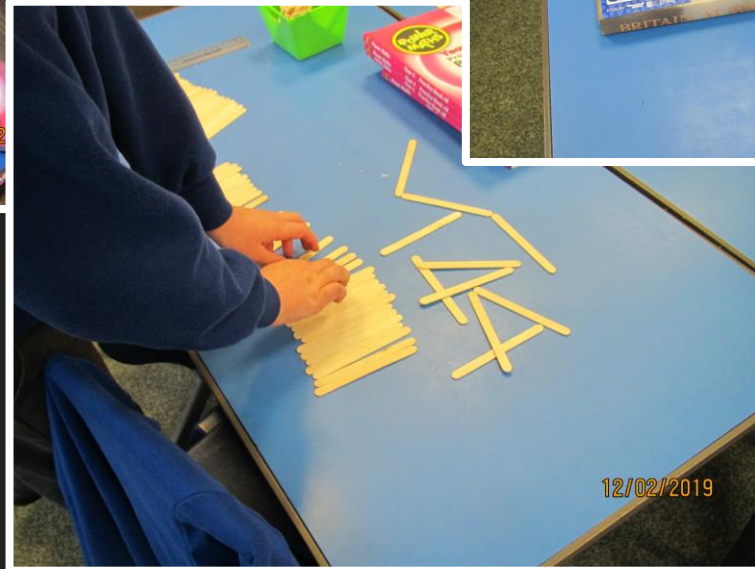


12/02/2019



12/02/2019









Unit 9: Fractions (2), Lesson 11
Problem solving – mixed word problems
Discover



- 1 a) How much ribbon did Holly use in total to make the two dresses?
 b) Holly used $4 \frac{1}{10}$ metres of fabric for the dotted dress. She used $2 \frac{2}{10}$ metres of fabric for the stripy dress. How much more dotted fabric did Holly use?

Share

a) Holly used $1 \frac{1}{4}$ metres of red ribbon and $2 \frac{2}{10}$ metres of yellow ribbon.

Add the wholes: $1 + 2 = 3$
 Add the parts: $\frac{1}{4} + \frac{2}{10}$
 $\frac{1}{4} = \frac{5}{20}$
 $\frac{2}{10} = \frac{4}{20}$
 $\frac{5}{20} + \frac{4}{20} = \frac{9}{20}$
 So $1 \frac{1}{4} + 2 \frac{2}{10} = 3 + 1 \frac{9}{20} = 4 \frac{9}{20}$
 Holly used $4 \frac{9}{20}$ metres of ribbon in total.

To find the difference, I need to do a subtraction.

b) $4 \frac{1}{10} - 2 \frac{2}{10}$
 $= 4 \frac{1}{10} - 2 \frac{2}{10}$
 $= 2 \frac{1}{10}$
 Holly used $2 \frac{1}{10}$ metres more of the dotted fabric.

First I write $4 \frac{1}{10}$ as $4 \frac{10}{100}$. Then I subtract the wholes and subtract the parts.

Year 5

Unit 9: Fractions (2), Lesson 11
Think together

- 1 Holly makes a dressing gown and a pair of shorts. She uses stripy fabric.
- How much stripy fabric is needed in total to make these two items?

Holly needs metres of stripy fabric.

- 2 Holly has $4 \frac{8}{10}$ metres of ribbon. She cuts the ribbon into two pieces. One piece is $2 \frac{6}{10}$ m long.
-
- How long is the other piece?
 The other piece of ribbon is metres long.

- 3 The table shows the amount of dotted fabric Holly uses for four different items.

Item	Amount of fabric
	$3 \frac{1}{10}$ metres
	$2 \frac{8}{10}$ metres
	2 metres
	10 metres

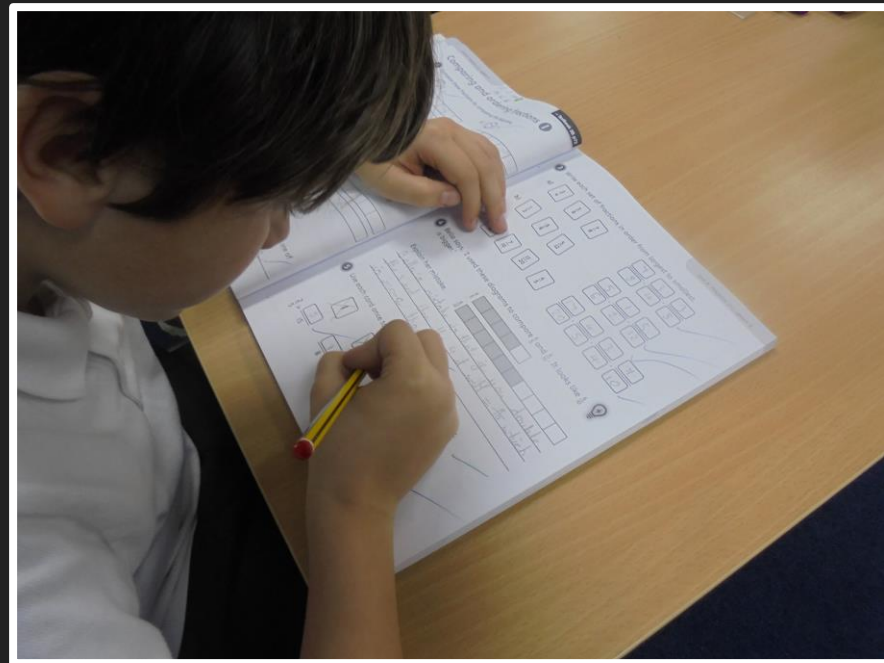
How much fabric does Holly use in total?

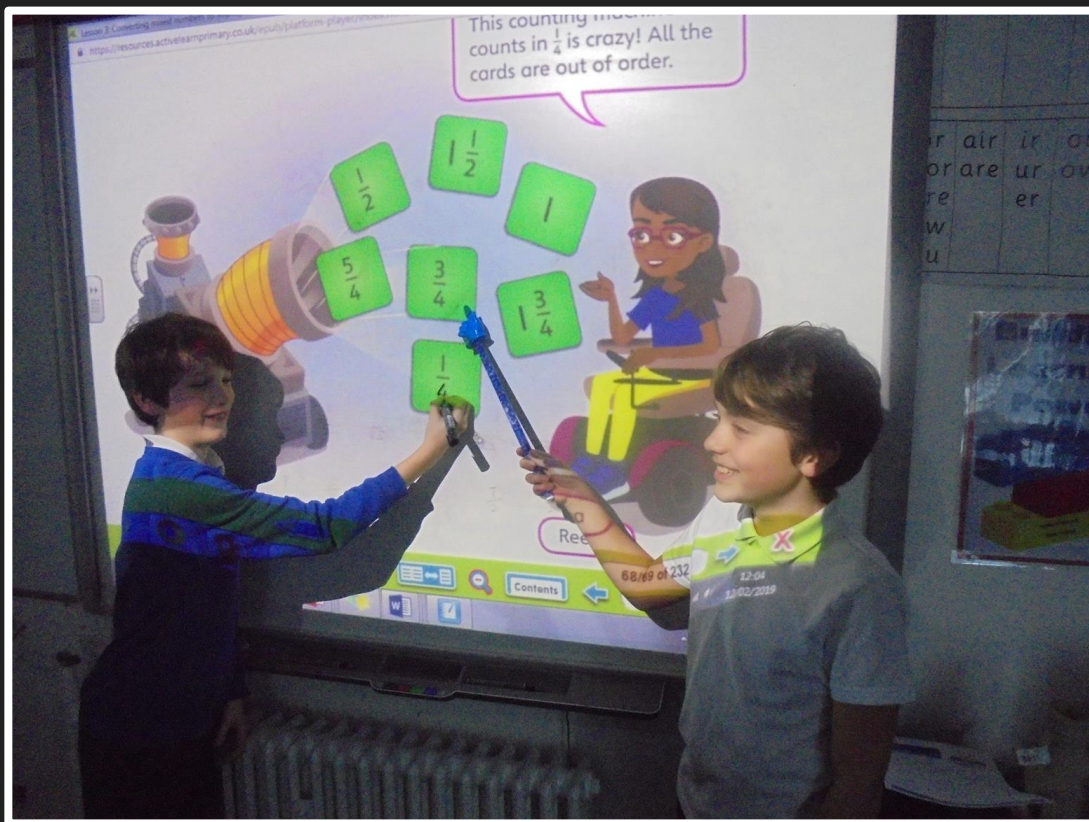


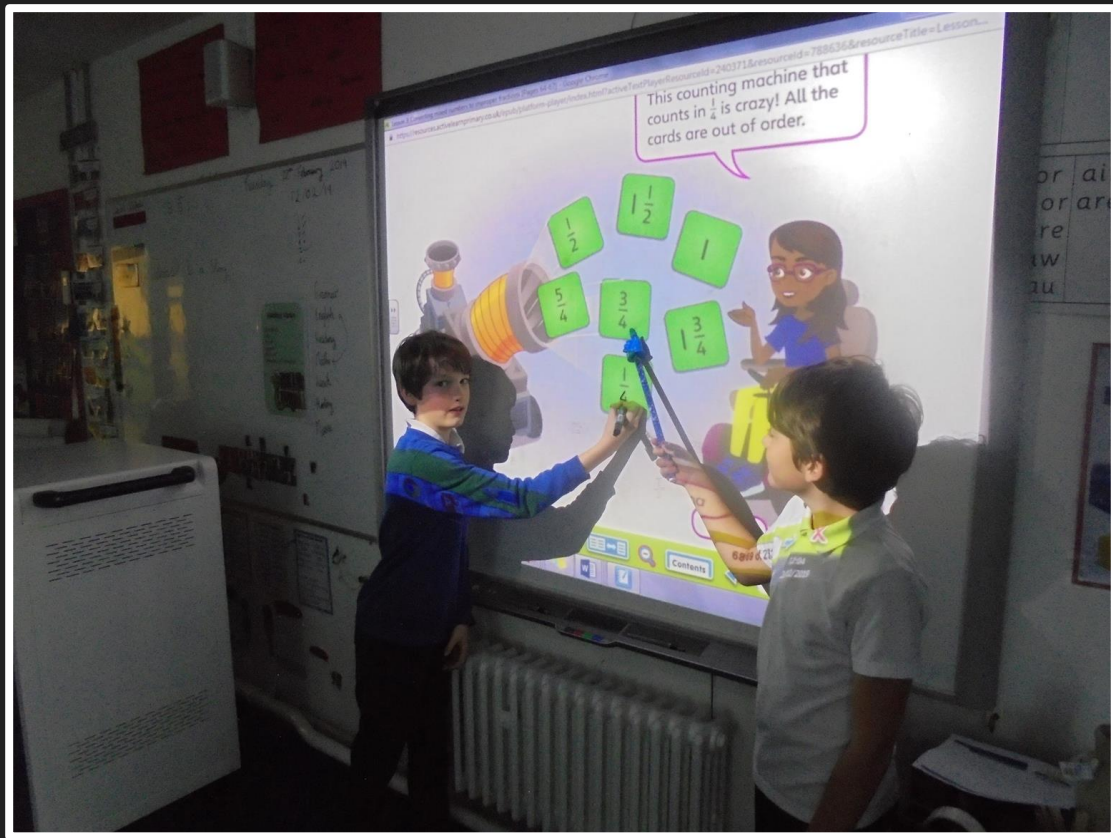
I am not sure how to add these as some are just whole numbers.

I think you can add the dress and trousers together first and then add on the other whole metres.









Unit 9: Algebra, Lesson 12
Solving equations 4

Discover



Holly

- 1 a) The perimeter of the enclosure is 20 m. Write an equation for the perimeter of the enclosure. Find different solutions for a and b .
- b) Which solution has the greatest area?



Share

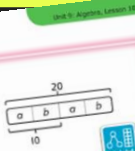
a) The formula is perimeter = $2a + 2b$ or perimeter = $(a + b) \times 2$. So $a + b$ must be equal to 10.



Perimeter of rectangle	$a = ?$	$b = ?$
20	1	9
20	2	8
20	3	7
20	4	6
20	5	5
20	6	4

- b) Area is $a \times b$. The greatest area for this enclosure is $5 \times 5 = 25 \text{ m}^2$. That is a square enclosure.

I will think in order. If $a = 1$, then $b = 9$. I will continue until I start to repeat numbers.



Year 6

Unit 9: Algebra, Lesson 13
Think together

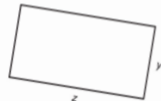
- 1 One alpaca eats 15 kg of hay and grass every day. m represents the weight of hay, n represents the weight of grass. How many kg could there be for m and n ?



$m + \square = \square$

$m = ?$	$n = ?$
0	$15 - 0 = 15$
1	$15 - 1 = 14$

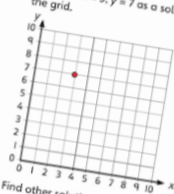
- 2 The area of this rectangle is 36 m^2 . Write the equation for the area and find all the solutions.



$\square \times \square = \square$

$y = ?$	$z = ?$

- 3 a) Max is finding solutions to $x + y = 10$. He found $x = 3, y = 7$ as a solution, and marked this on the grid.



I will draw a table to find all the possible numbers for x and y , starting with $y = 10$.

Find other solutions. What do you notice?

- b) Investigate solutions to this equation, using all four quadrants.

$y = x + 1$

